Ultrafast resonant optical scattering from single gold nanorods: Large nonlinearities and plasmon saturation

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We measure nonlinear optical scattering from individual Au nanorods excited by ultrafast laser pulses on resonance with their longitudinal plasmon mode. Isolating single rods removes inhomogeneous broadening and allows the measurement of a large nonlinearity, much greater than that of nanorod ensembles. Surprisingly, the ultrafast nonlinearity can be attributed entirely to heating of conduction electrons and does not exhibit any response associated with coherent plasmon oscillation. This indicates an unanticipated damping of strongly driven plasmons.

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I. INTRODUCTION

Conventional photonic devices are restricted by the diffraction limit to be larger than half the optical wavelength, limiting the possibilities for miniaturization. One way to overcome this restriction is to couple light to material excitations. Of particular interest are collective electron oscillations in metal nanostructures, termed surface plasmons. Excitation of plasmons results in large local field enhancements and allows for nanoscale delocalization and transport of electromagnetic energy. Preliminary steps have been made, for example, towards using surface plasmons in nanoparticles to construct subwavelength waveguides. Actively controlling light propagation in such structures will require an understanding of the ultrafast nonlinear response of the individual elements. Such an understanding is also crucial for the treatment of effects such as surface-enhanced Raman scattering, since it may limit the magnitude of local electromagnetic fields that can be achieved in real structures.

Previous measurements of metal-nanoparticle nonlinearities have generally involved excitation at frequencies away from the plasmon resonance, and thus probe incoherent effects related to the heating of electrons. By contrast, exciting and probing nanoparticles on resonance with their plasmon frequencies can reveal nonlinearities associated with the coherent oscillation of the plasmons themselves. Unfortunately, the optical response of the ensemble is broadened by the inhomogeneous distribution of particle sizes and shapes. The majority of particles are off resonance with the exciting laser, and thus have nonlinear responses much smaller than or even opposite in sign to the resonant particles. This leads to an overall measured effect that is greatly reduced and whose dynamics are obscured. Isolating single particles removes the effects of inhomogeneity and allows the quantitative measurement of inherent properties.

We report measurements of resonant nonlinearities of surface plasmons in single metal nanoparticles, specifically Au nanorods. We measure a nonlinear scattering cross section that is much larger than that obtained from ensembles of nanorods. Surprisingly, the measured effect can be explained entirely as the result of heating of conduction electrons, with no measurable nonlinearity directly associated with coherent plasmon oscillation. This indicates that the strong optical driving fields induce a novel damping and saturation of the plasmonic response.

II. EXPERIMENTAL

The Au nanorods we study are chemically synthesized using a seed-mediated growth method. Under the proper growth conditions, this process produces single-crystal rods with smooth surfaces, controllable aspect ratios, and >95% yield. A transmission-electron-microscope image of a typical nanorod is shown in Fig. 1(c). The rods exhibit a strong longitudinal plasmon resonance, whose frequency is determined by the aspect ratio of the rods. Damping due to interband transitions is reduced by selecting particles with a plasmon resonance near 1.55 eV, which matches the Ti:Sapphire laser light used to excite and probe the rods.

The gold-nanorod solution is prepared as follows. Spherical seed particles are produced by mixing 0.25 mL of 10 mM HAuCl₄ solution with 10 mL of 0.1 M CTAB (cetyltrimethylammoniumbromide) solution at room temperature, and then quickly injecting 0.6 mL of freshly prepared 10 mM NaBH₄ solution under vigorous stirring. In order to grow the seeds into rods, 50 mL of 0.1 M CTAB solution is prepared and maintained at 28 °C. To this solution, 2.5 mL of 10 mM HAuCl₄ and 0.5 mL of 10 mM AgNO₃ are added. As well, 1.0 mL of 1.0 M HCl is added to maintain the stability of the final product. Au(III) is reduced to Au(I) by injecting 0.4 mL of 0.1 M ascorbic acid. Finally, 0.12 mL of the gold-seed solution is added to begin the nanorod growth, and growth is completed overnight under steady stirring. No further size selection is performed.

The sample consists of sparsely dispersed and isolated rods, bound to a glass coverslip. The coverslip is first cleaned for 10 min with an equal mixture of 30% H₂O₂ and 98% H₂SO₄ and is then coated with an MPTMS (3-mercaptopropyltrimethoxysilane) monolayer, using a two-step gas-phase silanization procedure. The functionalized glass substrate is dipped into the Au-nanorod solution for 30 min. The sample is then washed thoroughly in deionized water and...
dried in air. Atomic-force microscopy (AFM) is used to verify that the rods are well isolated on the surface, so that individual rods can subsequently be probed optically.

Optical measurements on the single rods are made using total-internal-reflection microscopy. Incident light is focused onto the sample through a glass prism. Scattered light is collected using a microscope objective and is imaged onto a multimode optical fiber, which selects a 1.5 μm spot on the sample for observation. For spectral measurements, the light is sent to a spectrometer equipped with a cooled CCD array detector (Andor); for time-resolved measurements, the light is sent to an avalanche photodiode (Hamamatsu).

### III. IDENTIFICATION OF SINGLE RODS

Making single-rod measurements requires carefully ensuring that only one rod at a time is being probed. The primary method of identifying single rods is to excite with incoherent white light and measure the scattering spectrum; a typical spectrum is shown in Fig. 1(a). The narrow resonance, much less broad than the ensemble peak, indicates that the scattering comes from a single rod. If two or more nanorods are probed, they will have different shapes and thus different plasmon resonance frequencies; the measured scattering spectrum will then be broader than the single-rod spectrum.

The scattering spectrum is quantitatively compared to a calculation in the quasi-static approximation, as shown in Fig. 1(a). We treat the rod as a prolate ellipsoid, and approximate the asymmetric environment of the rod as a homogeneous, transparent medium with dielectric constant $\epsilon_m = 1.3$. For incident light polarized parallel to the long axis of the rod, the polarizability of the particle is

$$\alpha = \frac{V}{\epsilon_0} \left\{ \frac{\epsilon - \epsilon_m}{\epsilon_m + L(\epsilon - \epsilon_m)} \right\},$$

where $V$ is the volume of the rod, $\epsilon$ is the dielectric function of Au, and $L$ is a geometric factor:

$$L = 1 - \frac{e^2}{e^2} \left( \frac{1}{2e} \ln \frac{1 + e}{1 - e} - 1 \right),$$

where $e$ is the eccentricity of the ellipsoid. The scattering cross section is then given by

$$\sigma_{\text{scat}} = \frac{k^4}{6\pi} |\alpha|^2,$$

where $k$ is the wave number of the incident light.

The imaginary part of the dielectric function of Au is taken to be 26–28

$$\epsilon_2(\omega, T_c) = \frac{\omega_p^2 \gamma(T_c)}{\omega_0^2 + (\gamma(T_c))^2} + \epsilon_2^{\text{Dr}}(\omega, T_c),$$

where $\omega$ is the optical frequency and $T_c$ is the temperature of the conduction electrons in the rod. The first term is the Drude free-electron contribution; $\omega_p$ is the bulk plasmon frequency and $\gamma$ is the plasmon damping rate. The second term is the contribution of transitions between the $d$ and the conduction bands. The real part of the dielectric function is calculated from this imaginary part using the Kramers-Kronig relation. The matrix elements of the interband transitions and the Drude plasmon frequency are adjusted to reproduce experimental dielectric functions.

In comparing the calculated and measured scattering spectra, the only free parameter is the aspect ratio of the rod. For the particular rod in Fig. 1(a), the fitted aspect ratio is 26.25, consistent with the rod shapes measured by TEM. A different choice of refractive index for the surrounding medium changes the fitted nanorod aspect ratio, but has no other appreciable effect on calculated optical properties. The very good agreement between the calculated and measured scattering linewidths is thus a clear indication that only a single rod is being probed.
Identification of single rods is further supported by the strong polarization dependence of the scattering, as shown in Fig. 1(b). The nearly complete modulation is consistent with scattering from a single, oriented dipole, rather than multiple particles.

**IV. ULTRAFAST NONLINEARITIES**

Nonlinearities of the single nanorods are measured using an interferometric scattering technique. The rods are excited with 20 fs pulses from a mode-locked, cavity-dumped Ti: sapphire laser. The pulses are split into two equal-intensity parts, and the delay of one of the pulses is controlled relative to the other by moving a retroreflector, using either a calibrated stepper motor or a piezoelectric transducer. A single lens focuses the two pulses to a common 20-μm spot on the sample. The scattered light is collected with the objective and detectors described in Section II. The signal is processed by a lock-in amplifier, which is synchronized to a chopper that modulates both laser beams.

Figure 2 shows an example of the scattering signal from a single rod for short delays; the measured interference pattern exhibits a pronounced asymmetry in intensity. When the laser pulses interfere constructively, the incident intensity is doubled, but the amount of scattering from the rod increases by less than a factor of 2, meaning that the scattering cross section over the laser bandwidth of \( \chi^{(3)} \approx 5 \times 10^{-18} \text{ m}^2/\text{V}^2 \). As a result of this large nonlinearity, the change in scattering cross section can reach over 20% at high laser intensities. If the laser power is increased further, optical damage occurs, and the scattering signal gradually and irreversibly decreases.

Further insight into the measured nonlinearity is obtained by measuring the dependence of the nanorod scattering spectrum on incident laser power. Results for a particular nanorod are shown in Fig. 4(a); an intensity-dependent redshift \( \Delta \omega \) and line broadening \( \Delta \gamma \) are clearly seen. Both effects are linear in \( I \); for this rod, \( \Delta \omega=59 \) meV/nJ and \( \Delta \gamma=87 \) meV/nJ.

**V. PICOSECOND NONLINEARITIES**

Having established the magnitude of the nonlinearity, we next investigate its time dependence. To do so, we perform measurements with longer time delays, so that the two laser
scattering signal, indicating that effects related to the heating of lattice phonons are unimportant on experimental time scales. The data in Fig. 5 have been normalized to the signal at long delays; any ultrafast nonlinearity arising within the laser pulse duration will result in a change in this reference level, but will not otherwise affect the time-delay-dependent data.

The picosecond-scale results can be modeled as follows. The amount of light transferred from the first laser pulse to the conduction electrons is determined by calculating the norod absorption cross section; this energy transfer results in a higher electron temperature, $T_e$. The subsequent evolution of $T_e$ is calculated by treating the conduction electrons and the lattice phonons as two coupled thermal reservoirs.\textsuperscript{12,32}

The time evolution of the reservoir temperatures is given by

\begin{equation}
C_e T_e(t) = g[T_e(t) - T_l(t)],
\end{equation}

\begin{equation}
C_l T_l(t) = g[T_e(t) - T_l(t)],
\end{equation}

where $C_e$ and $C_l$ are the heat capacities of the electrons and the lattice, respectively, $T_l$ is the lattice temperature, and $g$ is the electron-phonon coupling coefficient.

The effect of elevated $T_e$ is to alter the dielectric function for Au, as described by Eq. (4).\textsuperscript{26–28} The scattering spectrum can be calculated from the dielectric function according to Eqs. (1) and (3). For higher electron temperatures, the plasmon is broadened and redshifted. The modified plasmon response is used to calculate the amount of light scattered from the second laser pulse.

This calculated scattering signal is fit to the data using a single free parameter, relating the measured laser power to the optical intensity incident on the rod. Figure 5 shows results for three different laser powers for a single rod. Equally good agreement was obtained for several other laser powers and for other rods, indicating that electron heating can account for the measured nonlinearity on picosecond time scales.

VI. PLASMON SATURATION

Unexpectedly, the same thermal model that explains the picosecond measurements also quantitatively explains the measured nonlinearities on femtosecond time scales. More precisely, we can extrapolate the measured thermal nonlinearity for a given laser intensity, $I$, to zero time delay; this gives a “dip” $D(I)$ in the normalized scattering signal. (See Fig. 2; in this case $D \approx 9\%$.) The measured values of $D(I)$ can be compared to the asymmetries, $A(I)$, of the measured interference patterns. Assuming that the only nonlinearity, even for the shortest time delays, is due to electron heating, we obtain $A(I)=2D(2I)$. (We note that this relation takes into account the dependence of the reference level for $D(I)$ on the intensity of the two laser pulses.) We observe exactly this relation, within our experimental error, meaning that we see no change in the dynamics of the nonlinearity as we move from femtosecond to picosecond time scales.

This observation is consistent with the increase in the plasmon linewidth at high pulse energies, as shown in
The increased damping may be due to a greater rate of dephasing collisions with the nanorod boundaries or to higher-order plasmon-plasmon or plasmon-electron interactions. Such interactions are also manifest in the significant electron energies that are observed in photoemission measurements when plasmons are resonantly excited.35,36

VII. CONCLUSIONS

The measurements described in this paper have established the magnitude of resonant optical nonlinearities in single Au nanorods. A benchmark value of 20% has been obtained for the nonlinear change in the scattering cross section, using pulse energies that induce no optical damage. Surprisingly, resonant excitation of plasmons results in the same nonlinearity as incoherent excitation of conduction electrons. This indicates that strongly driven plasmons experience a new, intensity-dependent damping. There are still several potential routes towards achieving stronger nonlinearities in these systems, such as embedding the nanorods in a polarizable medium or assembling them into ordered structures. Our current observations thus represent an important step towards achieving very large optical nonlinearities on the nanometer scale.

Note added in proof. Since submission of this manuscript, another report has been published on the femtosecond nonlinear optical response of single metal nanoparticles.37 These complementary measurements involve non-resonant excitation of the particles, and thus provide valuable information on electron relaxation processes, but do not directly probe the plasmonic response.

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